

Numerical Problems (ch 11)

2. (a) The IS curve is found from the equation $Y = C^d + I^d + G = 130 + 0.5(Y - 100) - 500r + 100$, or $0.5Y = 280 - 1000r$, or $Y = 560 - 2000r$.

The LM curve comes from the equation $M/P = L$, which in this case is $1320/P = 0.5Y - 1000r$, or $Y = (2640/P) - 2000r$.

- (b) At full employment, $Y = 500$. Using this in the IS curve gives $500 = 560 - 2000r$, which has the solution $r = 0.03$. Plugging the values for Y and r in the LM curve gives $500 = (2640/P) - (2000 \cdot 0.03)$, or $440 = 2640/P$, which has the solution $P = 6$. Then consumption is $C = 130 + 0.5(Y - 100) - 500r = 130 + 0.5(500 - 100) - (500 \cdot 0.03) = 315$. Investment is $I = 100 - (500 \cdot 0.03) = 85$.

- (c) If desired investment increases to $200 - 500r$, the IS curve shifts from IS^1 to IS^2 in Figure 11.11. This can be seen in the equation $Y = C^d + I^d + G = 130 + 0.5(Y - 100) - 500r - 500r + 200 - 500r + 100$, or $0.5Y = 380 - 1000r$, or $Y = 760 - 2000r$. In the short run, the price level remains fixed at 6, so the LM curve remains at LM^1 . With the price level equal to 6, the LM curve has the equation $Y = (2640/P) - 2000r = 440 - 2000r$. The IS and LM curves intersect where $760 - 2000r = 440 - 2000r$

$2000r$, or $320 = 4000r$, which has the solution $r = 0.08$. At $r = 0.08$, output is given from the

IS curve as $Y = 760 - 2000r = 760 - (2000 \cdot 0.08) = 600$. Then consumption is $C = 130 + 0.5$

$(Y - 100) - 500r = 130 + 0.5(600 - 100) - (500 \cdot 0.08) = 340$. Investment is $I = 200 - 500r$

$200 - (500 \cdot 0.08) = 160$.

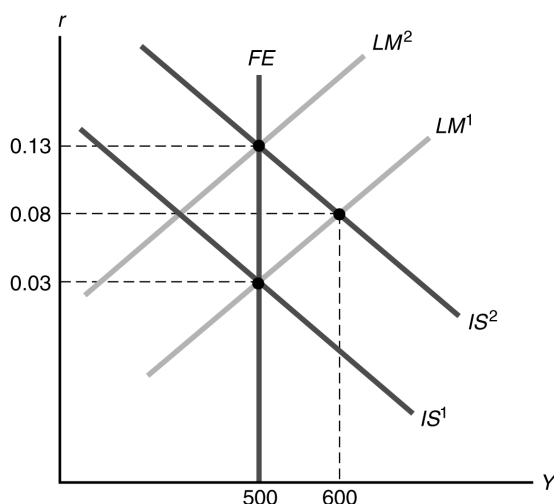


Figure 11.11

In the long run, the price level rises to shift the LM curve from LM^1 to LM^2 to restore equilibrium. The IS curve is given by the equation $Y = 760 - 2000r$. At full employment, $Y = 500$, so the IS curve is $500 = 760 - 2000r$, or $2000r = 260$, which has the solution $r = 0.13$. The LM curve is given by the equation $Y = (2640/P) - 2000r$, or $500 = (2640/P) - (2000 \cdot 0.13)$, or $240 = 2640/P$, which has the solution $P = 11$. Then consumption is $C = 130 + 0.5(500 - 100) - (500$

0.13) 265. Investment is

$$I = 200 - 500r = 200 - (500 \cdot 0.13) = 135.$$

4. (a) The *IS* curve is given by $Y = C^d + I^d + G = 300 + 0.5(Y - 100) - 300r + 100 - 100r + 100 + 450 = 0.5Y - 400r$. This can be rewritten as $0.5Y = 450 - 400r$, or $Y = 900 - 800r$.

The *LM* curve is

$$M/P = L, \text{ or } 6300/P = 0.5Y - 200r.$$

To find the aggregate demand curve, substitute the *LM* curve into the *IS* curve to eliminate r .

To do this, multiply both sides of the *LM* curve by 4 to get $25,200/P = 2Y - 800r$, or $800r = 2Y - (25,200/P)$. Then substitute this in the *IS* curve: $Y = 900 - 800r = 900 - [2Y - (25,200/P)]$.

This can be rewritten as $3Y = 900 + (25,200/P)$, or $Y = 300 + (8400/P)$.

- (b) With $P = 15$, the *AD* curve is $Y = 300 + (8400/15) = 860$. From the *IS* curve, $860 = 900 - 800r$, which has the solution $r = 0.05$. Consumption is $C = 300 + 0.5(860 - 100) - (300 \cdot 0.05) = 665$. Investment is $I = 100 - (100 \cdot 0.05) = 95$.

- (c) In the long run, $Y = 700$. From the *IS* equation, $700 = 900 - 800r$, which has the solution $r = 0.25$. The *LM* curve then is $6300/P = (0.5 \cdot 700) - (200 \cdot 0.25) = 300$, which has the solution $P = 21$. Consumption is $C = 300 + 0.5(700 - 100) - (300 \cdot 0.25) = 525$. Investment is $I = 100 - (100 \cdot 0.25) = 75$.